

RICH table

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K_0/Λ

- Secondary vertex, 2 outgoing particles
- Opposite charge
- Particle $XX0 < 10$
- $p > 1$ GeV
- $z_{Last} > 350$ cm
- $p_t^+ > 23$ MeV
- Distance vertices $> 2\sigma$
- $m(\pi, \pi) - m(K_0) < 150$ MeV
- $m(\pi, p) - m(\Lambda) < 150$ MeV

ϕ

- 2 additional outgoing particles (prim. vertex)
- opposite charge
- $2 < p > 70$ GeV
- $E_{miss} < 2.5$ GeV
- $z_{Last} > 350$ cm
- $p_t^+ > 23$ MeV
- $m(K, K) - m(\phi) < 150$ MeV

Binning and LH cuts

- 3 θ bins
0.00, 0.01, 0.04, 0.12
- 13 p bins
10., 11., 12., 13., 15., 17., 19., 22., 25., 27., 30., 35., 40., 50. GeV/c

Pion:

- $\frac{LH(\pi)}{LH(K)} > 1.$
- $\frac{LH(\pi)}{LH(p)} > 1.$
- $\frac{LH(\pi)}{LH(bg)} > 1.$

Kaon:

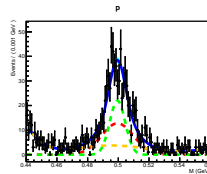
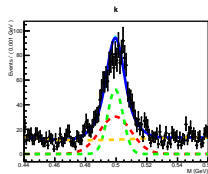
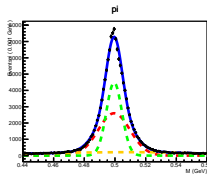
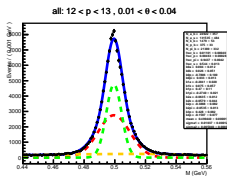
- $\frac{LH(K)}{LH(\pi)} > 1.02$
- $\frac{LH(K)}{LH(p)} > 1.$
- $\frac{LH(K)}{LH(bg)} > 1.24$

Proton:

- $p < p_{thr}$
- $\frac{LH(bg)}{LH(\pi)} > 1.$
- $\frac{LH(bg)}{LH(K)} > 1.$
- $p > p_{thr}$
- $\frac{LH(p)}{LH(\pi)} > 1.$
- $\frac{LH(p)}{LH(K)} > 1.$
- $\frac{LH(p)}{LH(bg)} > 1.$

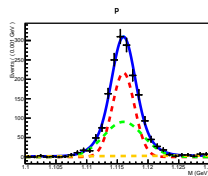
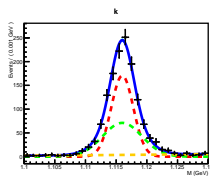
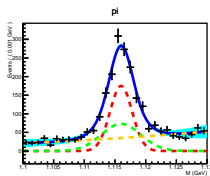
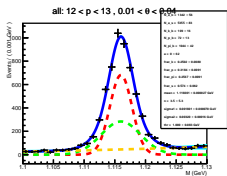
Fit function

- K_0 : 2 Gaussian + Polynomial
- Λ : 2 Gaussian + $(x - thr)^n \exp(-a(x - thr))$
- ϕ : convolution Breit-Wigner and Gaussian + $(x - thr)^n \exp(-a(x - thr))$



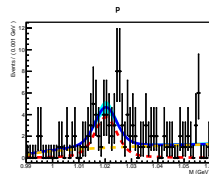
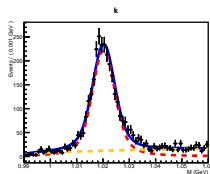
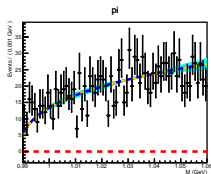
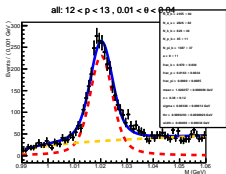
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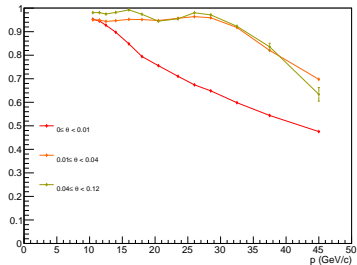


Fit function

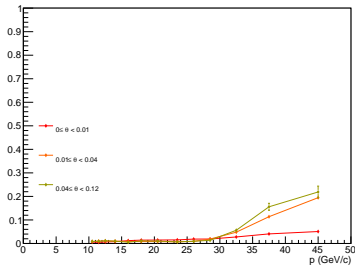
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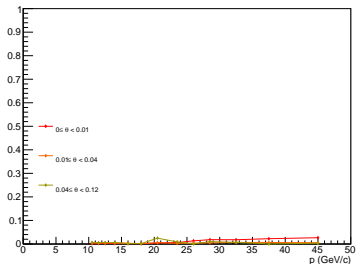
$\pi^- \rightarrow \pi$



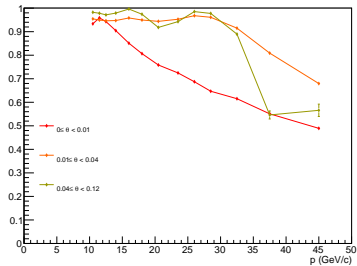
$\pi^- \rightarrow K$



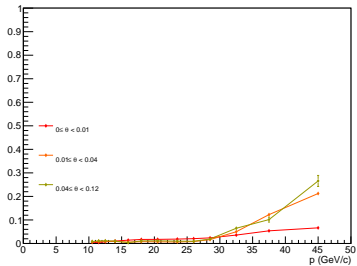
$\pi^- \rightarrow p$



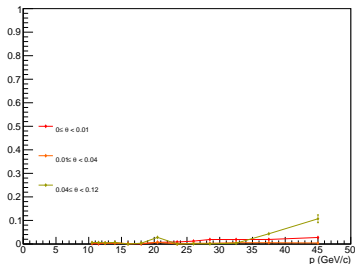
$\pi^+ \rightarrow \pi$



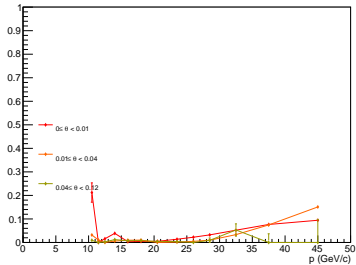
$\pi^+ \rightarrow K$



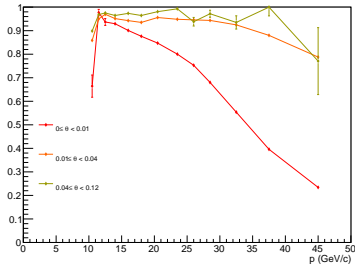
$\pi^+ \rightarrow p$



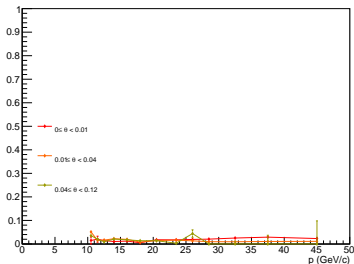
$K^- \rightarrow \pi$



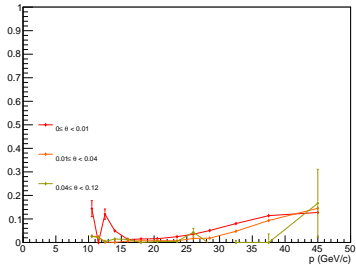
$K^- \rightarrow K$



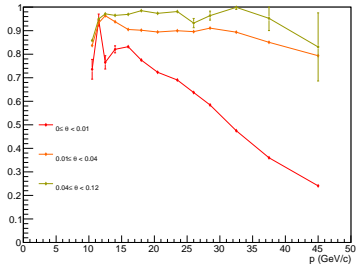
$K^- \rightarrow p$



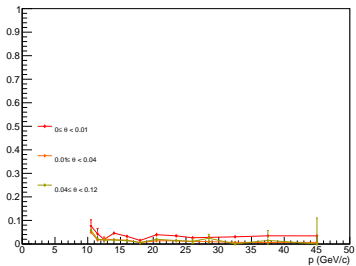
$K^+ \rightarrow \pi$



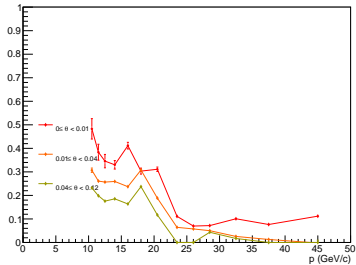
$K^+ \rightarrow K$



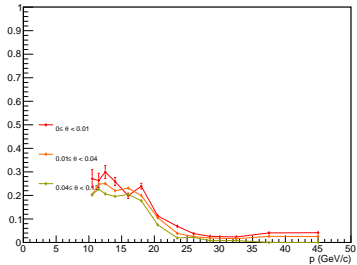
$K^+ \rightarrow p$



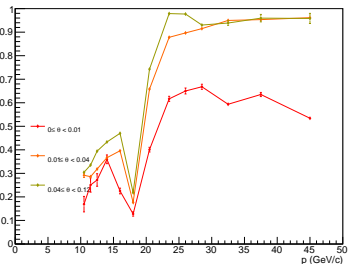
$\bar{p} \rightarrow \pi$



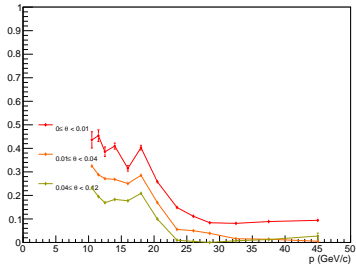
$\bar{p} \rightarrow K$



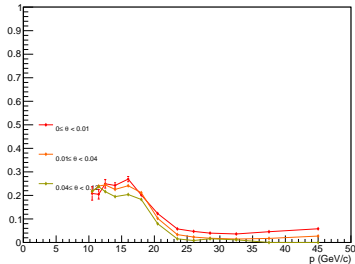
$\bar{p} \rightarrow p$



$p \rightarrow \pi$



$p \rightarrow K$



$p \rightarrow p$

