

Some Ideas about Efficiency und Purity of the CEDARs

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Outline

Recalling the method

Some Ideas about Purity

Efficiency

Step 5: Use likelihoods to identify particles

- ▶ Compare log likelihoods to get an ID for each CEDAR:
 - ▶ $\log L^K > \log L^\pi + \mathbf{A} \Rightarrow \text{PID } \mathbf{K}$
 - ▶ $\log L^\pi > \log L^K + \mathbf{B} \Rightarrow \text{PID } \pi$
 - ▶ else no PID given
- ▶ Tune \mathbf{A} and \mathbf{B} due to efficiency/purity.
- ▶ Combine CEDARs afterwards with OR combination

$C_2 \setminus C_1$?	π	\mathbf{K}
?	?	π	\mathbf{K}
π	π	π	?
\mathbf{K}	\mathbf{K}	?	\mathbf{K}

Additional quality cuts

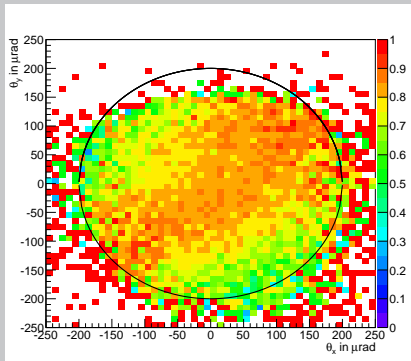
Two possibilities for quality cuts on probabilities:



Additional quality cuts

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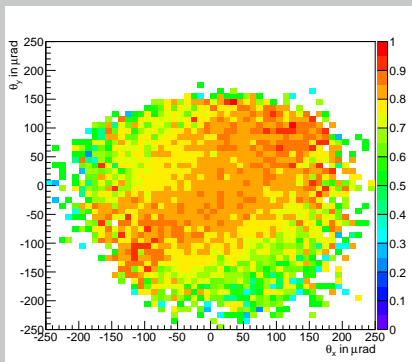
1. Cut on
$$r = \sqrt{\theta_x^2 + \theta_y^2} < 200 \times 10^{-6}$$



Additional quality cuts

Two possibilities for quality cuts on probabilities:

1. Cut on
$$r = \sqrt{\theta_x^2 + \theta_y^2} < 200 \times 10^{-6}$$
2. Take out Bins with $\mathbf{P} = \mathbf{0}$ (no statistics) and $\mathbf{P} = \mathbf{1}$ (very low statistics)



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Method 1: Comparing Histograms

Starting Point

n Histograms \mathbf{H}_i (invariant Masses of $\mathbf{K}\pi\pi$), consisting of signal \mathbf{S} (unknown) and background \mathbf{B} (known) with an unknown ratio:

$$\mathbf{H}_i = s_i \cdot \mathbf{S} + b_i \cdot \mathbf{B}$$

Question

Can one get coefficients \mathbf{b}_i as a measure for purity?



Method 1: Comparing Histograms

Some Thoughts

It is:

$$S = \frac{1}{s_i} (H_i - b_i \cdot B)$$

S is the same for every **H_i**.

Thus:

$$\frac{1}{s_i} (H_i - b_i \cdot B) - \frac{1}{s_j} (H_j - b_j \cdot B) = 0$$

Goal

Find **b_i, b_j** (**s_i, s_j**) that

$$S_{ij} = \frac{1}{s_i} (H_i - b_i \cdot B) - \frac{1}{s_j} (H_j - b_j \cdot B) \stackrel{!}{=} 0$$

Method 1: Comparing Histograms

Plan

Minimize quadratic sum over all bins

$$\Sigma_{ij} = \sum_{\text{nbins}} (S_{ij})_n^2$$

for each pair (i, j) of Histograms.

Problem

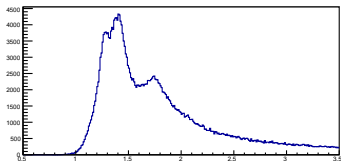
Coefficients can only be determined up to a common factor.

⇒ Only possible to obtain ratios (relative background contributions)

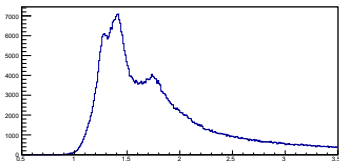


Different Histograms

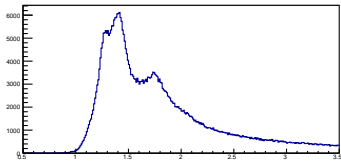
01 Bins excl, A=1



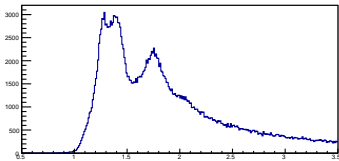
r<200, A=1



r<200, A=5

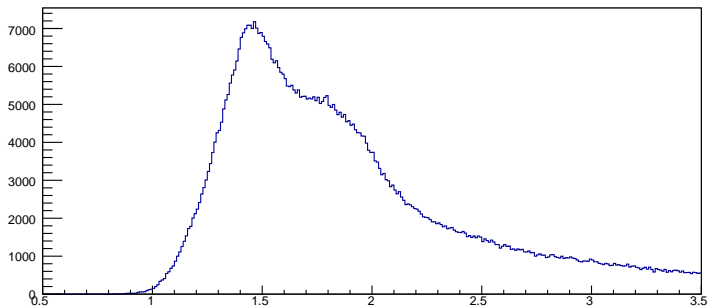


Majority



Background

Background ($\pi\pi$)



Problem

No convergence!

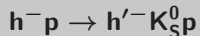
$$S_{ij} \approx \mathcal{O}(10^5)$$



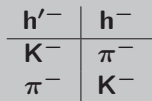
Method 2: K^* oder not K^*

Idee

Look at



Then one knows (due to conservation of strangeness):

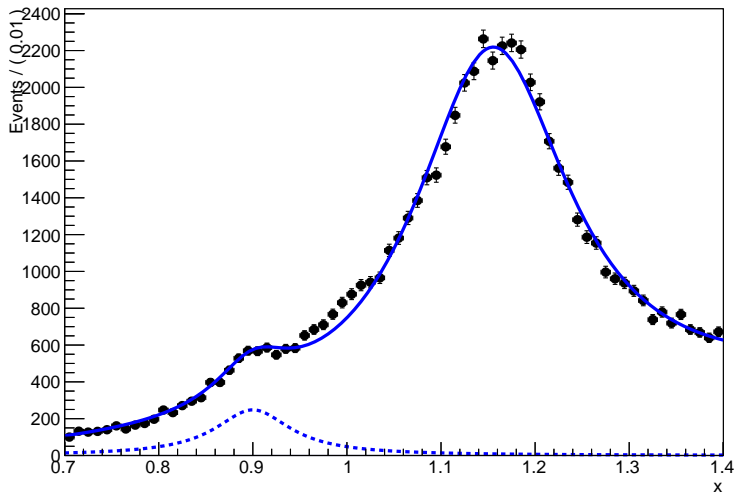


Take invariant mass of $h'^- K_S^0$ assuming $h'^- = \pi^-$. Look at $K^*(892)$ and $K^*(1430)$. Selecting pions in the CEDAR these should disappear.

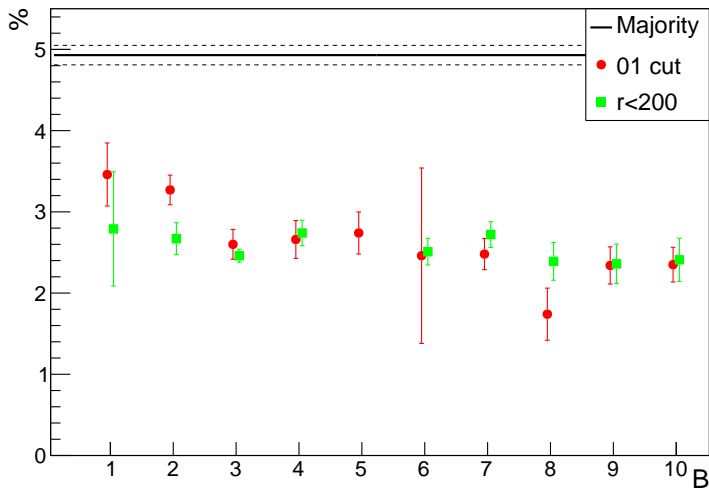


Example

01 cut, A=1, B=3

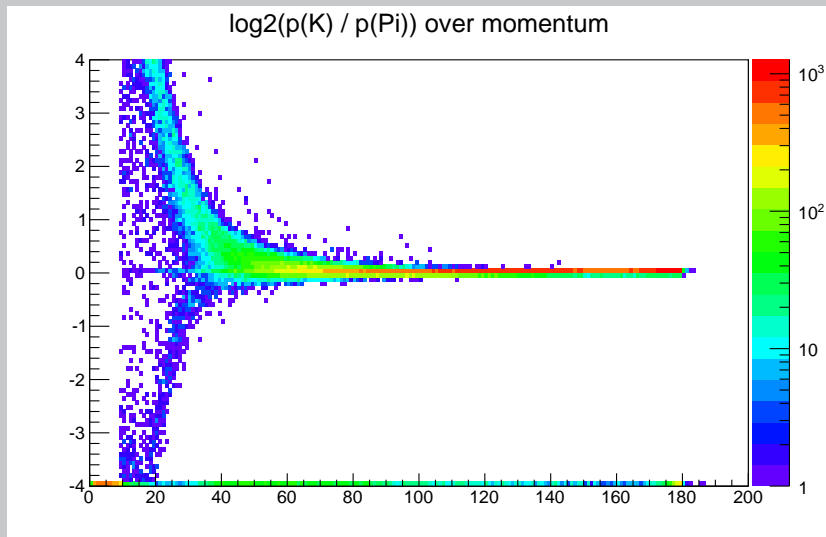


Result

Fraction of $K^*(892)$ Contamination

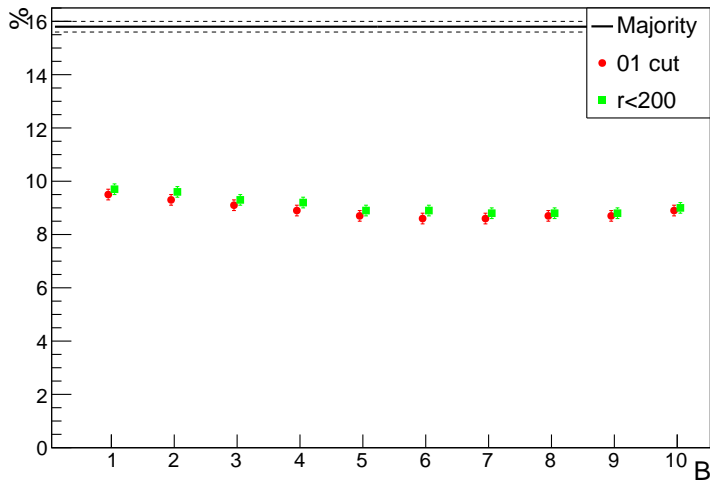
Different Possibility

Use RICH information to identify h'^-



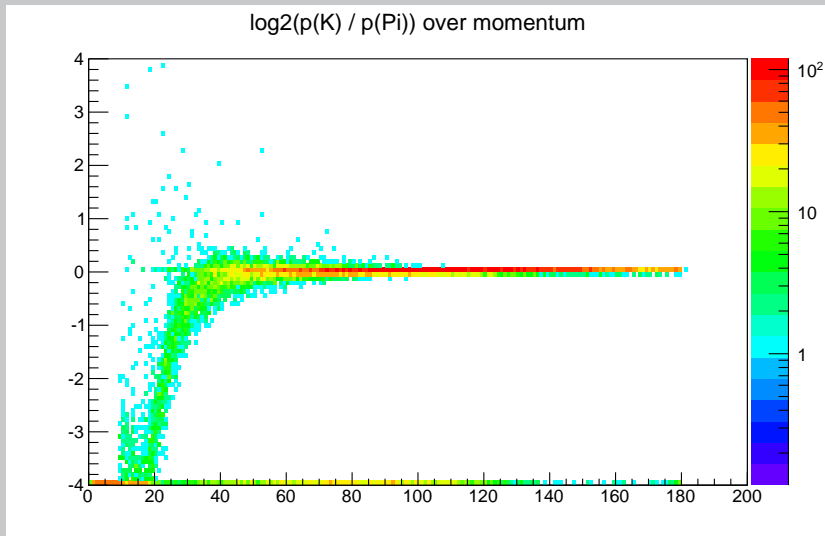
Result

Fraction of RICH identified Pions

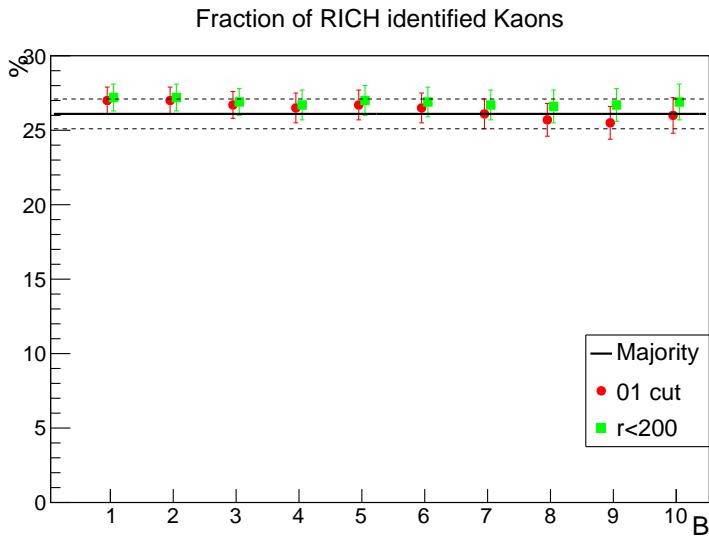


Kaon Purity

Also use RICH information to identify h'^-



Result



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Recalling the method

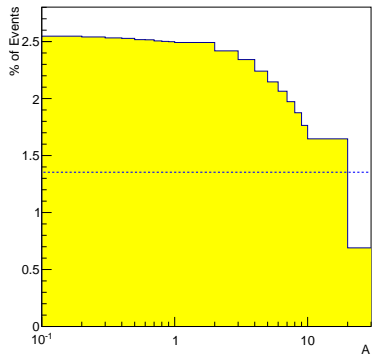
Some Ideas about Purity

Efficiency

Only Idea so far

Look at expected number of Kaons (2.4%) and Pions (97%)

$r < 200$



01-cut

