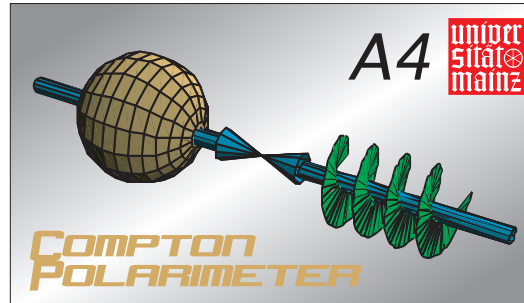




The A4 Compton Backscattering Polarimeter

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International School of Nuclear Physics 26th Course
Ettore Majorana Center for Scientific Culture, Erice

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 2. Compton Polarimetry
 3. Layout of the Polarimeter
 4. Status and Results
 5. Outlook and Summary
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1. Introduction

The A4 experiment

physics goal :

determine strange quark contributions to the nucleon properties

method :

measure the parity violating cross-section asymmetry in elastic eN-scattering with polarized beams

measured quantity:

$$A_{\text{exp}} = P_e A_{\text{phys}}$$

exp. asymmetry

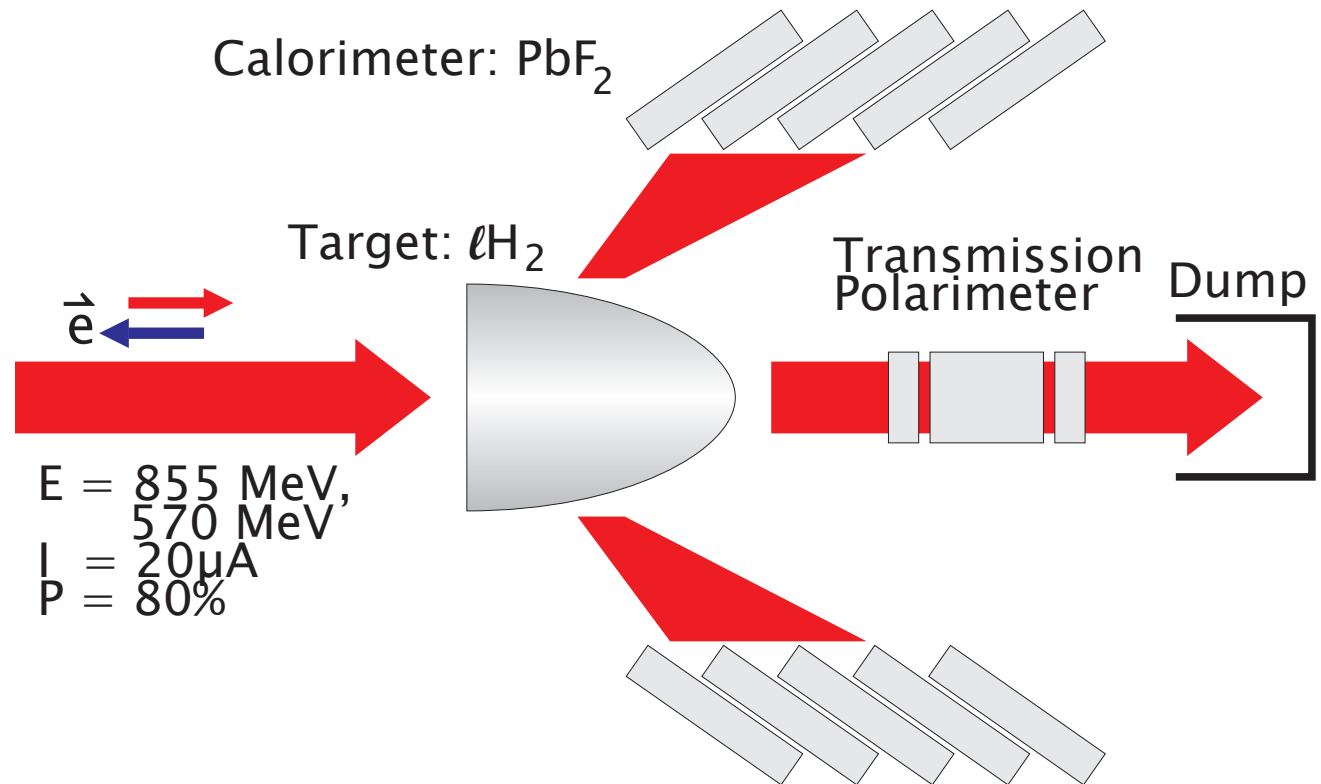


physics asymmetry

beam polarization

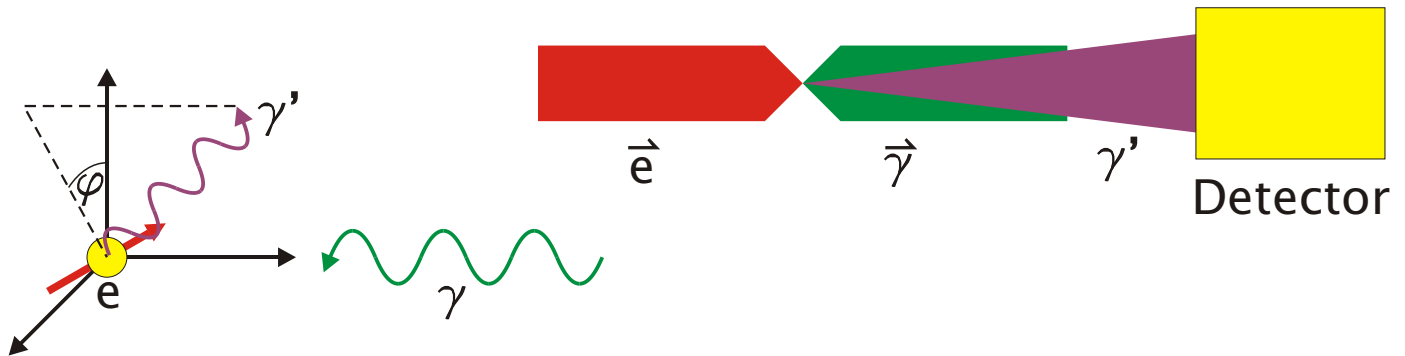


Need to measure the absolute beam polarization
Method: Compton backscattering polarimetry



2. Compton Polarimetry

Scattering of photons on leptons



Compton cross-section:

Lipps, Tolhoek Physica XX(1954)

$$\frac{d}{d} = \frac{d}{d} \left(\frac{d}{d} \right)_0 \left(\frac{d}{d} \right)_1 \left(V P_{long}^e \frac{d}{d} \right)_{long} \left(V P_{trans}^e \cos \frac{d}{d} \right)_{trans}$$

Q,V : “Stokes Parameters” (initial photon polarization)

Q : linear contribution

V : circular contribution (+1 : right circular, -1 : left circular)

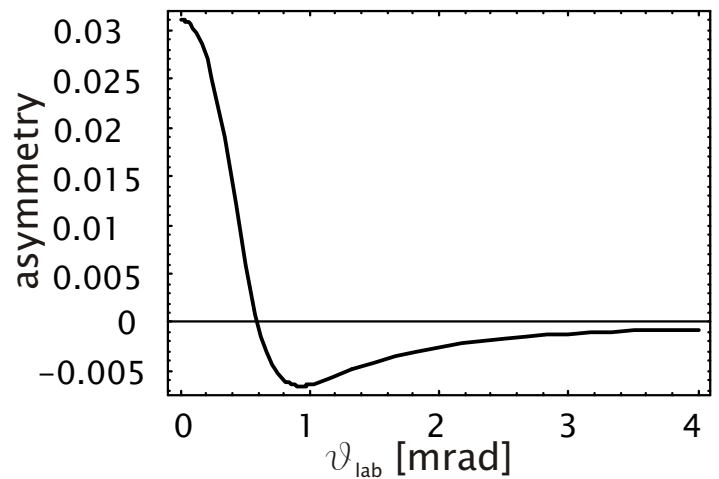
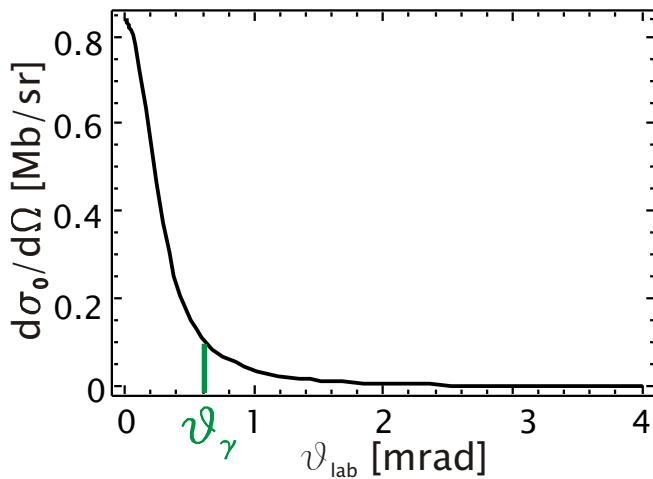
With circular light: asymmetry between scattering of right- and left-handed photons

average over φ (longitudinal polarization)

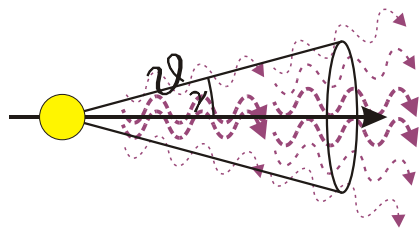
$$A = \frac{\frac{d}{d}_{right}}{\frac{d}{d}_{left}} \frac{\frac{d}{d}_{right}}{\frac{d}{d}_{left}} \left(V P_{long}^e \frac{d}{d} \right)_{long} \frac{d}{d} \left(\frac{d}{d} \right)_0 \frac{d}{d}$$

➔ Asymmetry proportional to beam polarization

Angular distribution of cross-section and asymmetry:



➔ backscattered photons concentrated to small cone



$$\begin{aligned} E &= 854.3 \text{ MeV} \\ \gamma &= 1671.8 \\ k_{\text{in}} &= 2.41 \text{ eV} \end{aligned}$$

$$\begin{aligned} \vartheta_{\gamma} &= 0.6 \text{ mrad} \\ k_{\text{fmax}} &= 26.2 \text{ MeV} \end{aligned}$$

➔ most calorimetric detectors will average over φ

Measuring time

counting rate asymmetry

energy spectrum asymmetry

$$t = \frac{1}{L \langle A \rangle^2}$$

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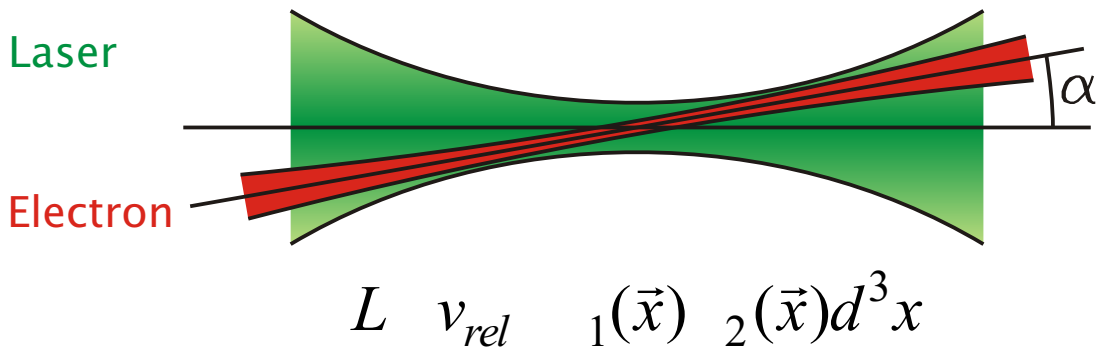
Chen, Bardin, Cavata et al.
"Conceptual Design Report..."

Luminosity requirements

$\Delta P/P$ [%]	t [min]	L [kHz/b]: 855 MeV	570 MeV
10	15	1.15	2.51
5	15	4.59	10.05
3	15	12.76	27.91
1	15	114.86	251.16

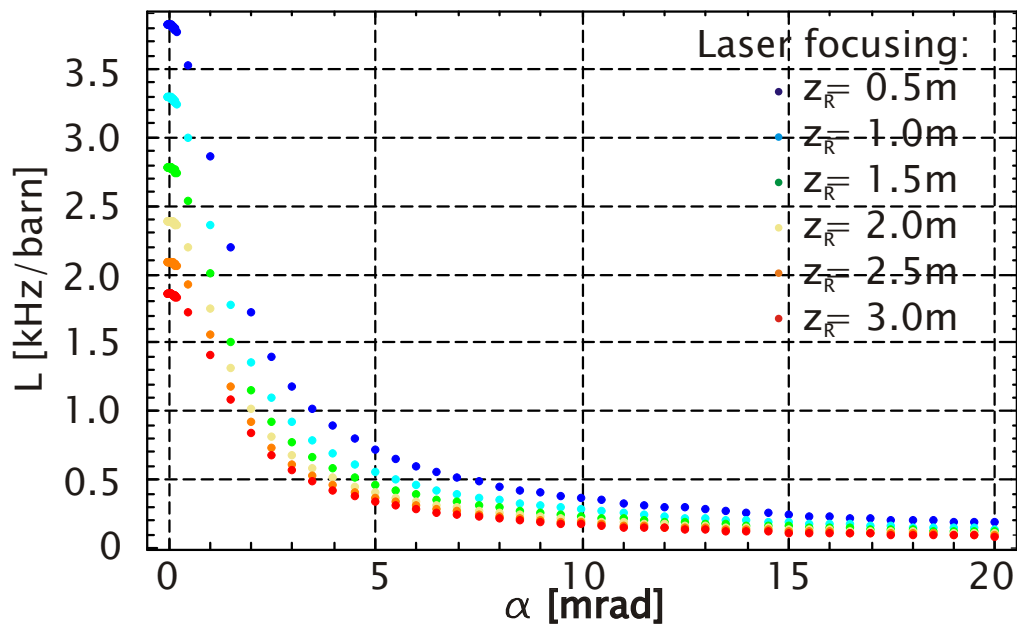
green light (514.5nm), 80% electron polarization

Luminosity for colliding beams



depends on: – beam focusing
– crossing angle

numerical results:



assumptions: laser light, 514.5 nm
laser power 10W
gaussian beams

$$E_L = 26\pi \mu\text{m mrad}$$

$$E_e^{\text{hor}} = 7.8\pi \mu\text{m mrad}$$

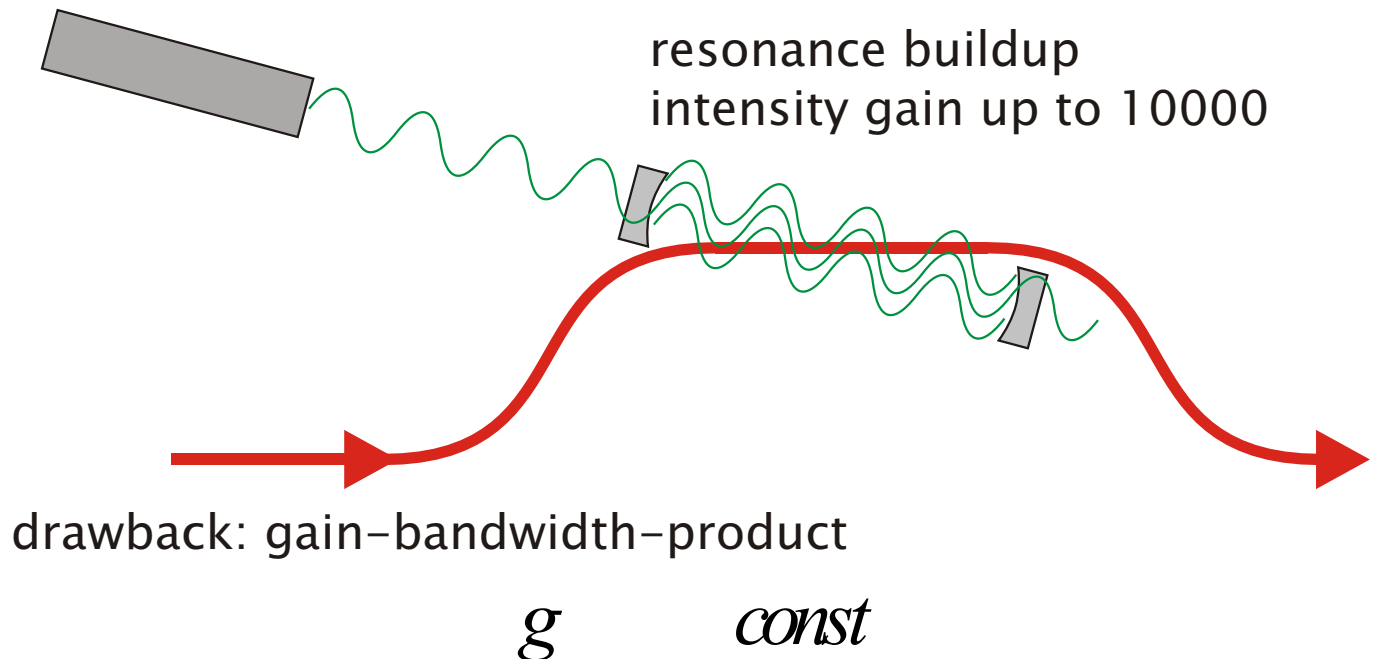
$$E_e^{\text{vert}} = 1.0\pi \mu\text{m mrad}$$

- ➡ antiparallel geometry is desirable
- ➡ more laser power needed

3. Layout of the A4 Polarimeter

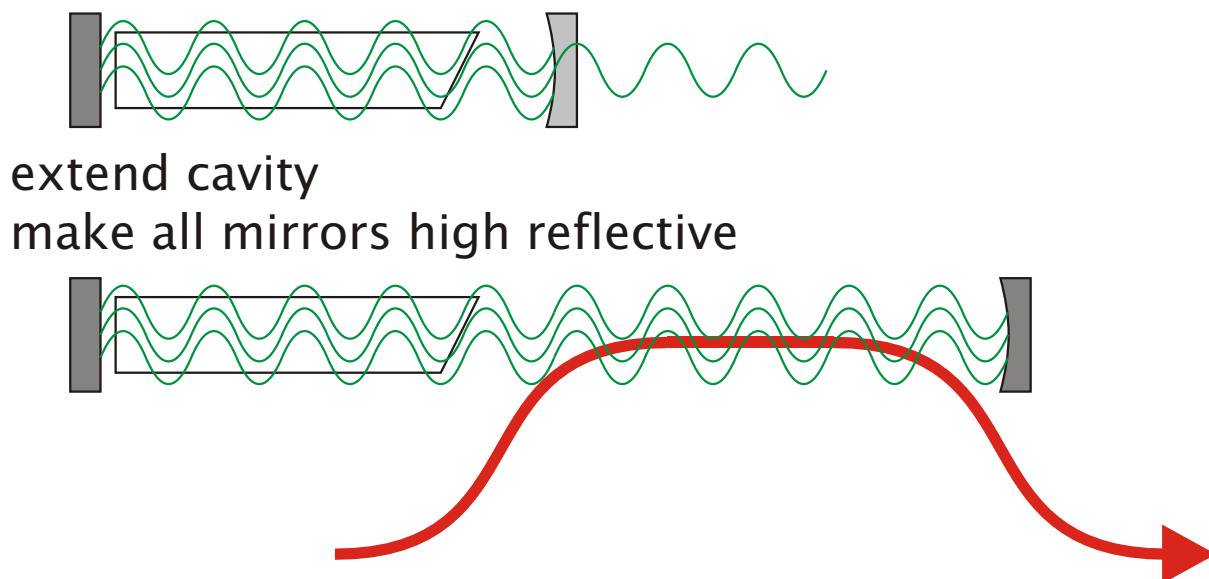
Methods of increasing the laser power

1. Fabry-Pérot external cavity (e.g. JLab Hall A)



→ frequency stabilization necessary

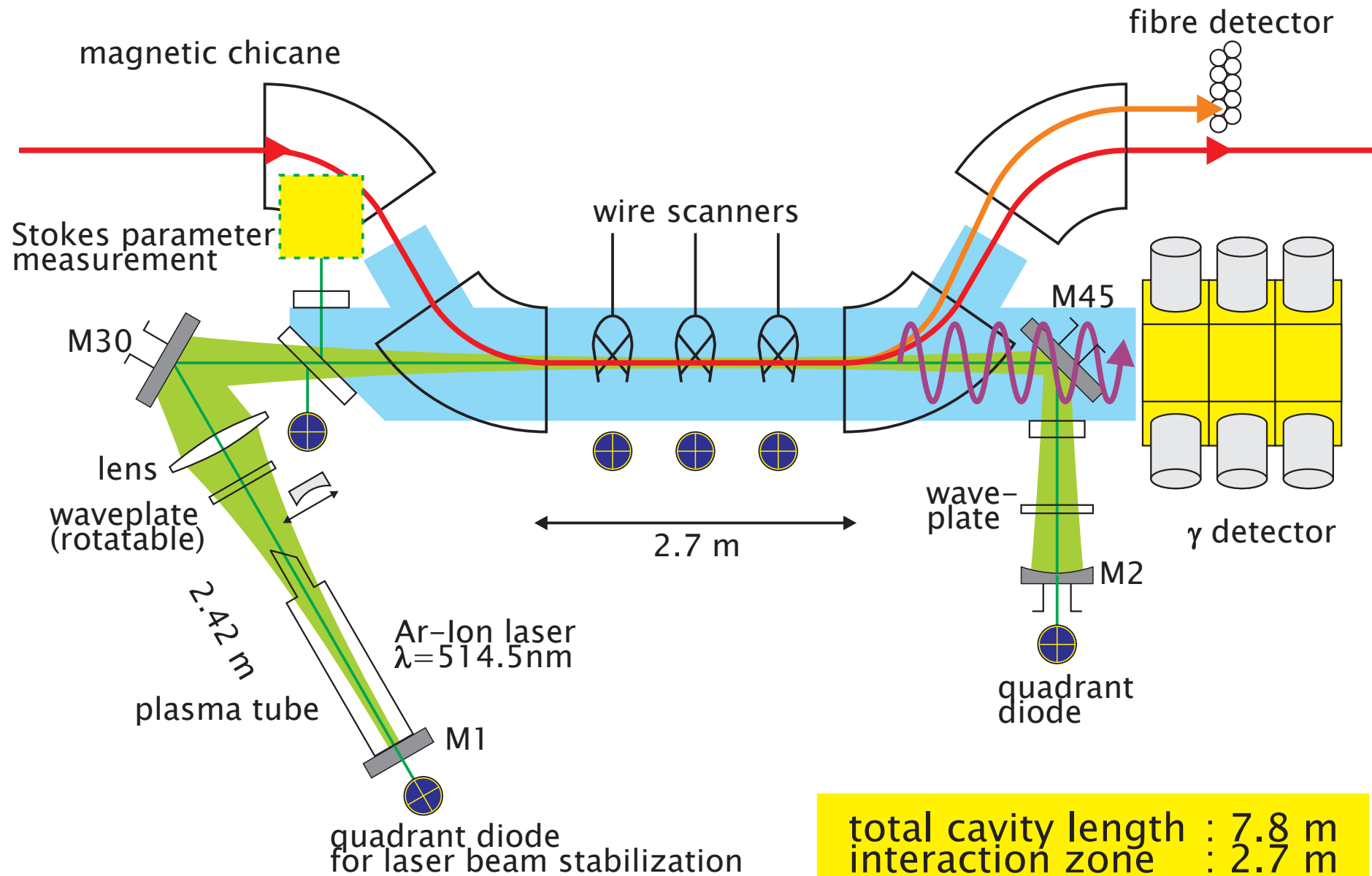
2. Internal cavity (A4 Polarimeter)



→ no frequency stabilization necessary

but: maximum intensity lower than with external cavity

Schematic View of the Polarimeter



Optical System

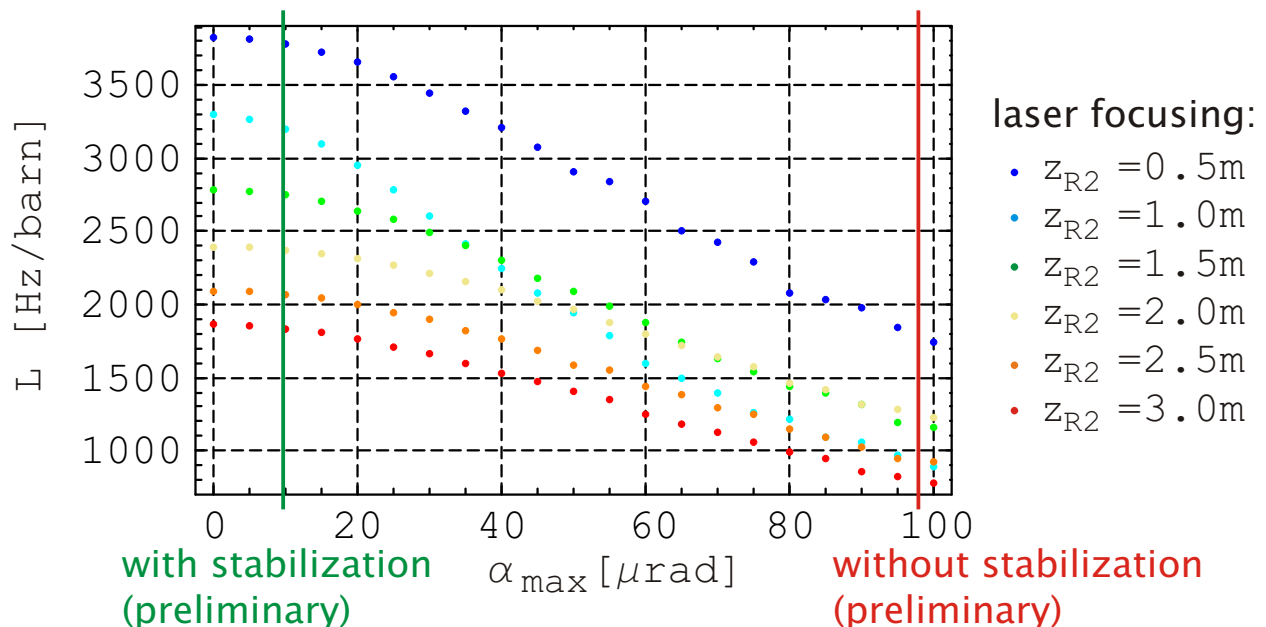
- design based on commercial laser crate
- subject to boundary conditions:
 1. beam profile in laser medium unchanged
 2. optics accessible for maintenance
 3. system to fit into chicane
 4. profile matching for high luminosity despite vibrations in the optical system

Problem:

- Sensitivity of beam axis to optics vibration depends on optics spacing.
- Sensitivity of luminosity to beam axis fluctuations depends on beam focusing

➔ perform MC-simulations to find compromise

Mean luminosity as function of tilt noise amplitude:



compromise: $z_{R2} = 2.5\text{m}$

$L_{\max} = 2.1 \text{ kHz/barn per } 10\text{W}$

Polarization

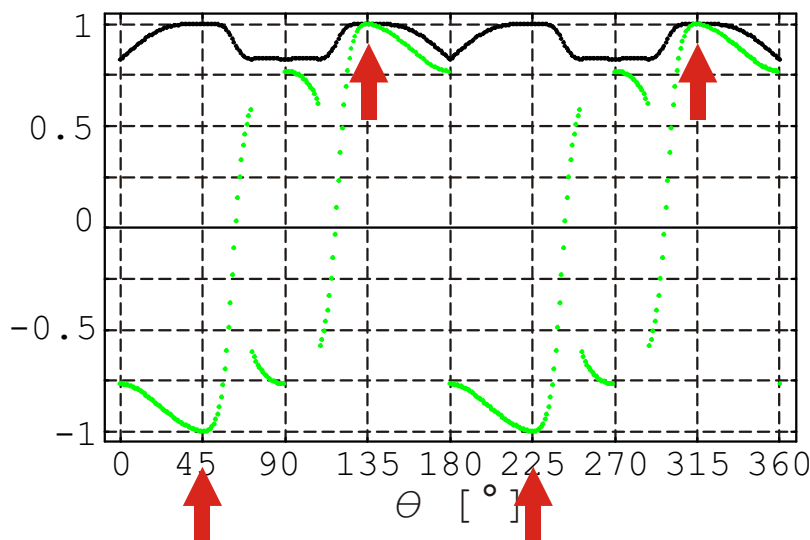
- Polarization of the laser light enters into asymmetry

$$A \quad |V|$$

- ➔ maximize V (=circular polarization)
- ➔ measure polarization state

1. Resonator analysis with Jones/Stokes-formalism

- need two waveplates (because within resonator)
- analyze resulting polarization when rotating one waveplate

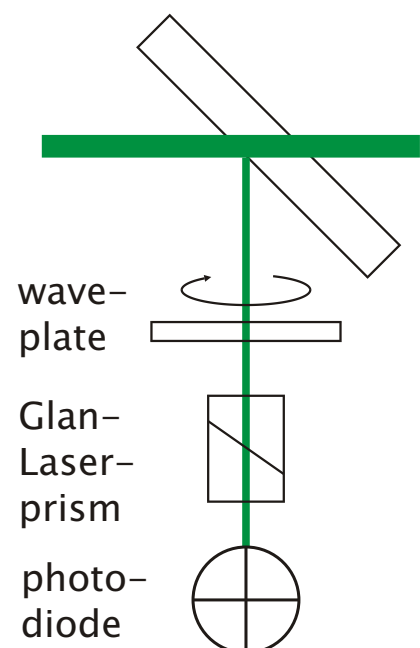


- round-trip attenuation
- Stokes parameter V

➔ $V = + / - 1$ possible

2. Stokes parameter measurement

- use vacuum window as beamsplitter
- method: rotating waveplate and linear polarizer
- result: intensity modulation, amplitudes proportional to Stokes parameters



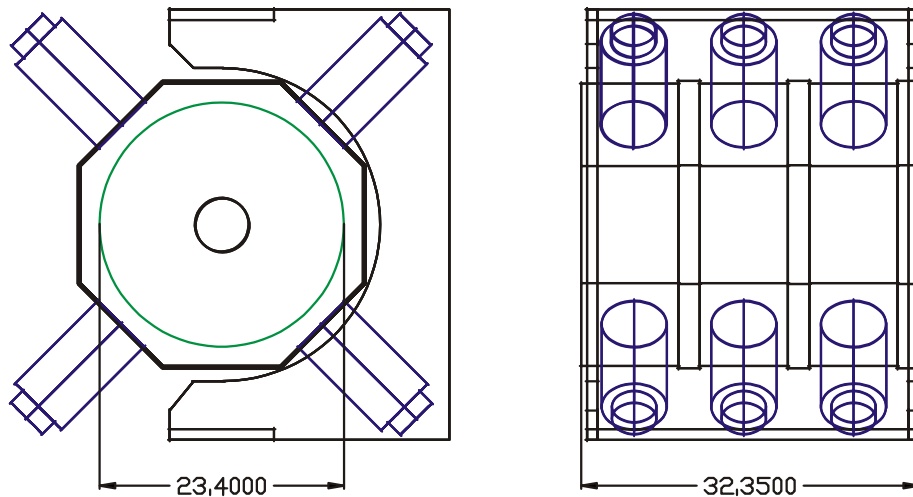
$$I(\theta) = \frac{1}{4} (2I_0 - Q) + 2V \sin 2\theta + U \sin 4\theta + Q \cos 4\theta$$

linear $\leftrightarrow$ circular linear $\times$ linear $\leftrightarrow$

Photon arm

Nal calorimeter, 3 crystals, 4PM each

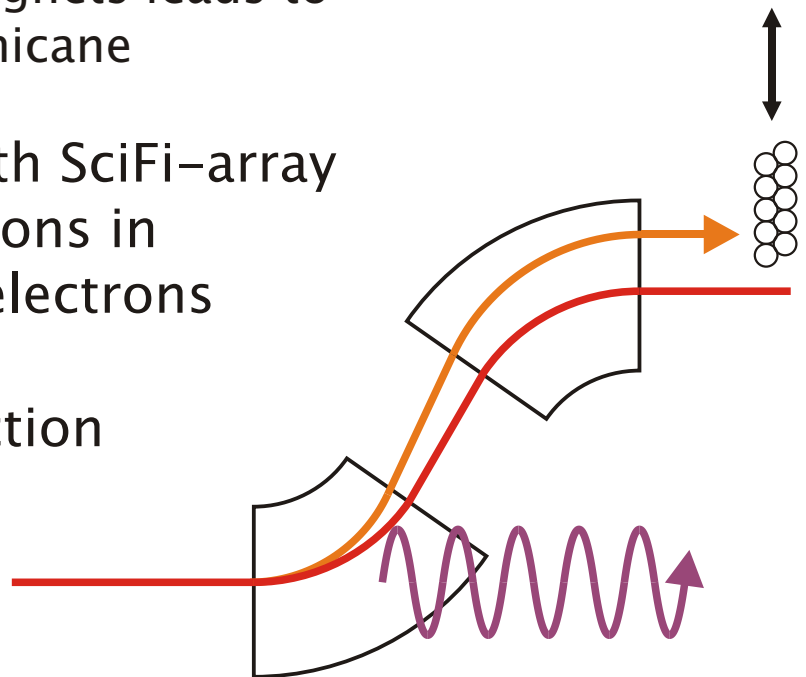
- length: $12 X_0$
- radius : $2.2 r_M$



Electron arm

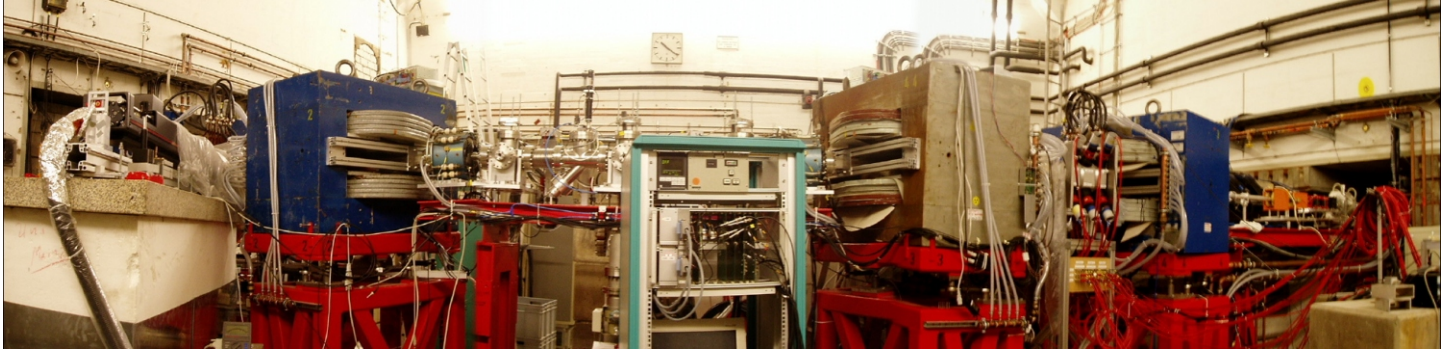
- involved electron loses energy
- dispersion in dipole magnets leads to displacement behind chicane

- ➔ detect electron with SciFi-array and measure photons in coincidence with electrons
- ➔ background reduction



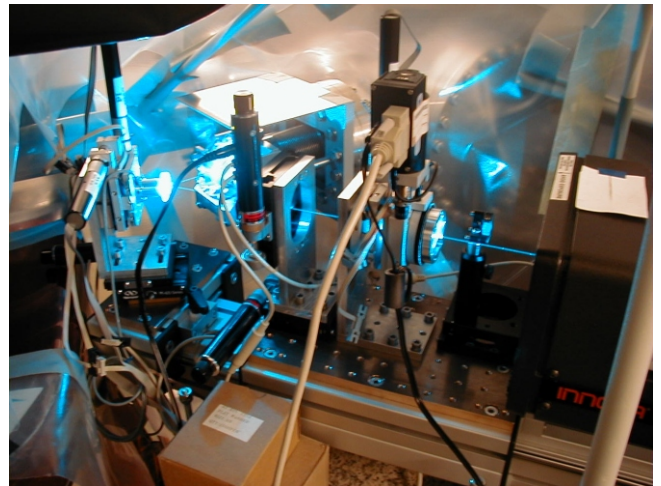
4. Status and Results

- successfully installed magnetic chicane in MAMI Hall 3 (Dec 2002)
- no degradation of beam quality on A4 target



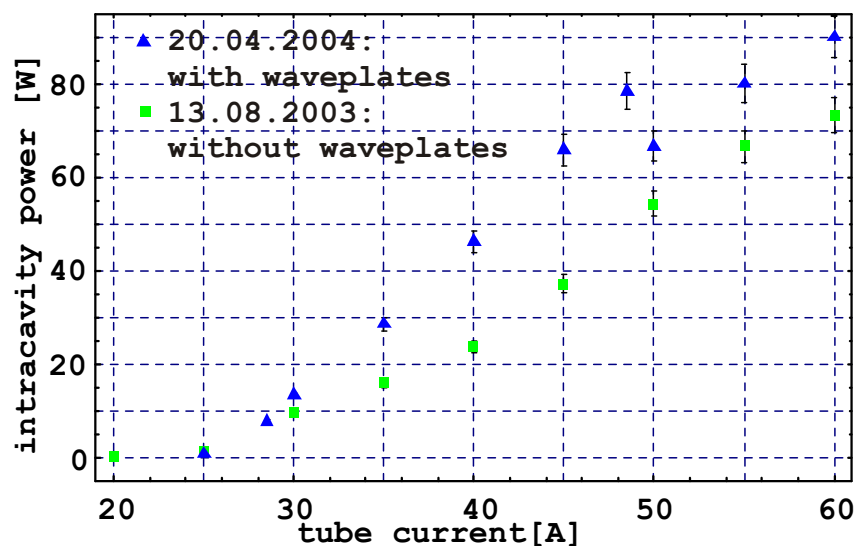
- successfully installed laser and optical system
- at first, operated without waveplates (Dec 2002)

$P = 70 \text{ W (max)}$

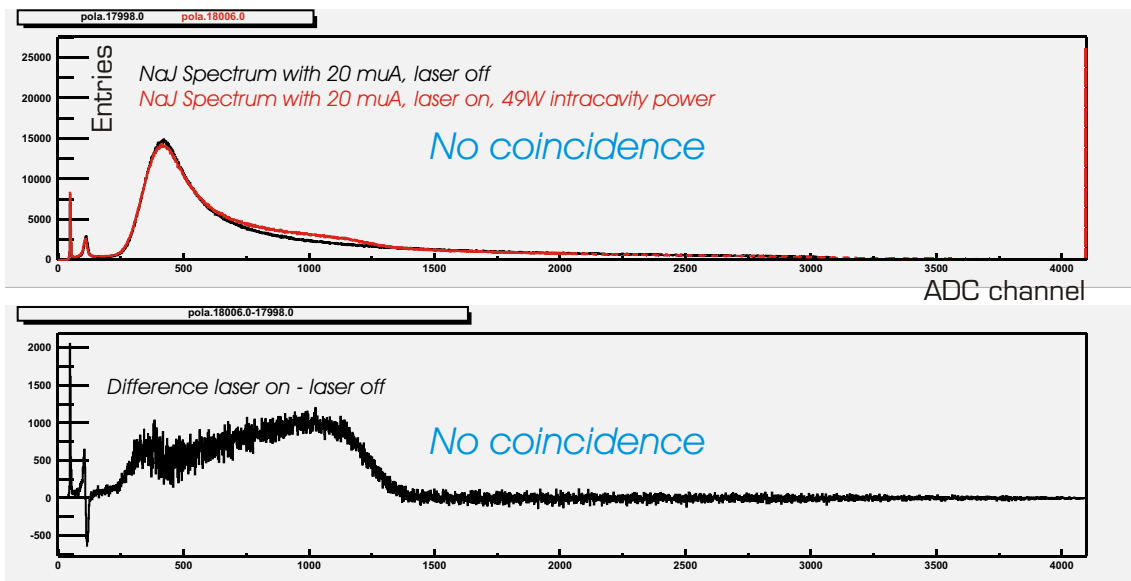


- resolved problems with stress birefringence in the vacuum windows (Mar 2004)
- installed the waveplates (Mar 2004)

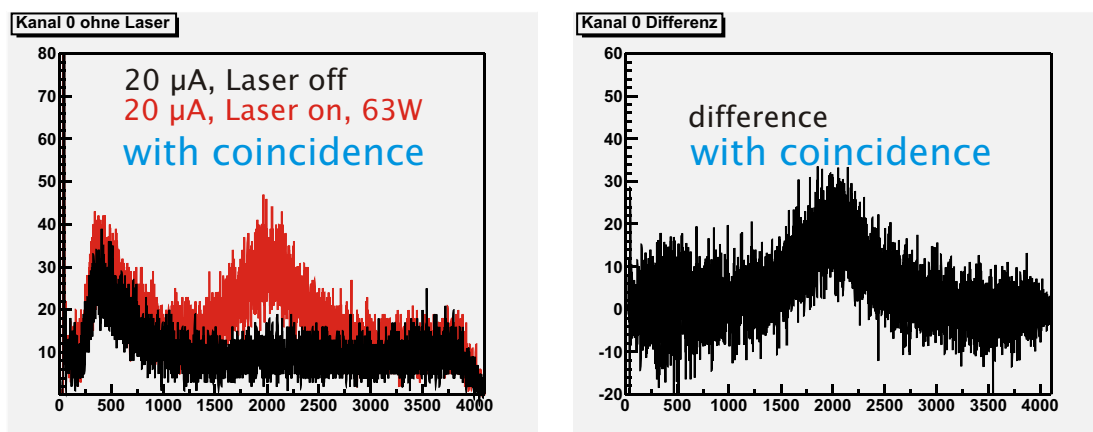
$P = 90 \text{ W (max)}$



- performed first successful overlap tests and measured backscattered photons with the NaI (Aug 2003)



- installed a SciFi array behind the chicane array is operational and has been used for background reduction in a test beamtime (May 2004)



without fibre detector

with fibre detector

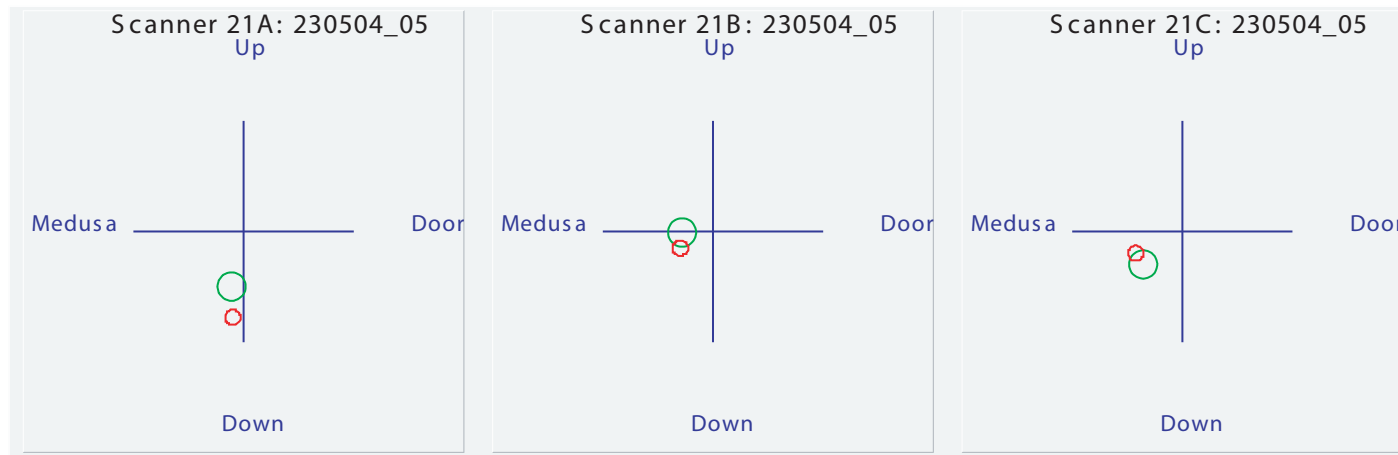
Compton rate: 2.6 kHz
background rate: 18.6 kHz
SNR: 1:7.11

Compton rate: 60.5 Hz
background rate: 125 Hz
SNR: 1:2.07

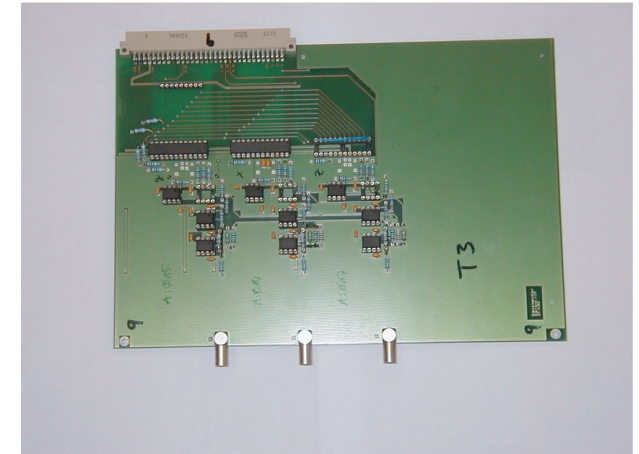
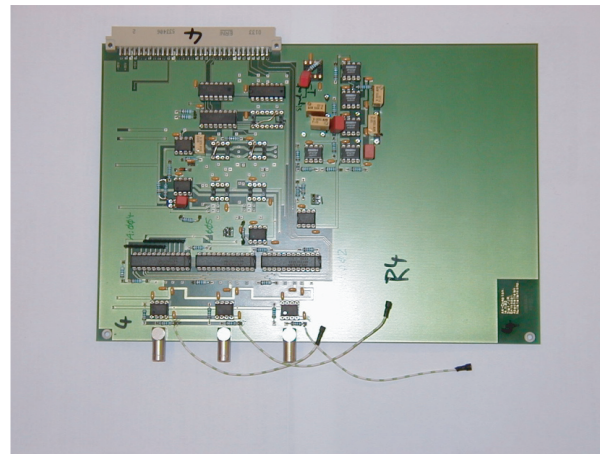
despite non-optimal experimental conditions:

- imperfect overlap
- no laser stabilization

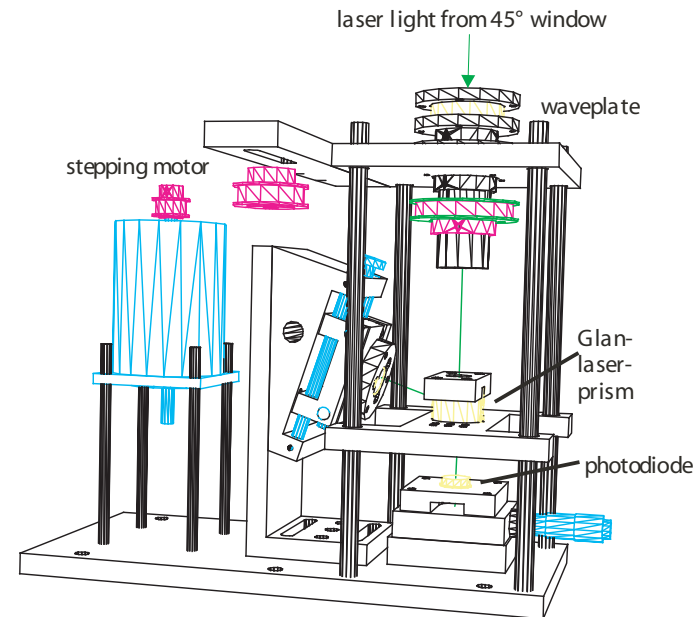
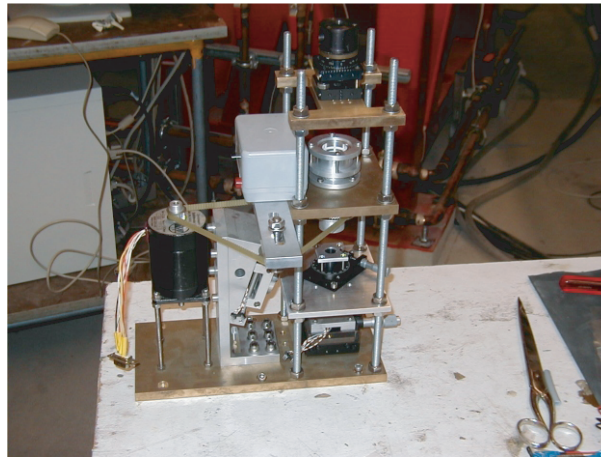
- example for beam overlap



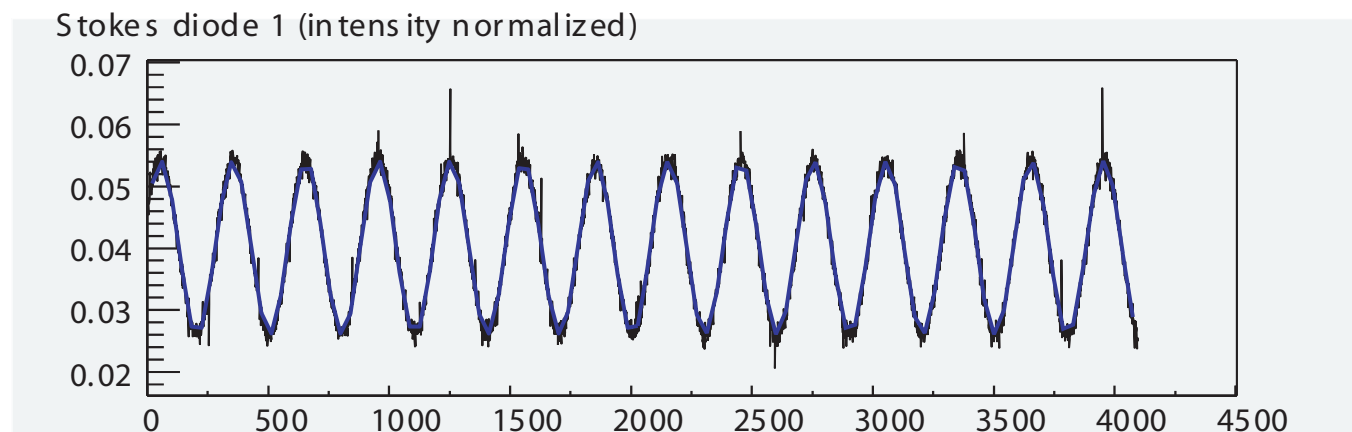
- installed a beam stabilization system (Nov 2003)
system has been tested and is being prepared for routine operation within the polarimeter system



- installed a Stokes parameter measurement system (Aug 2003)

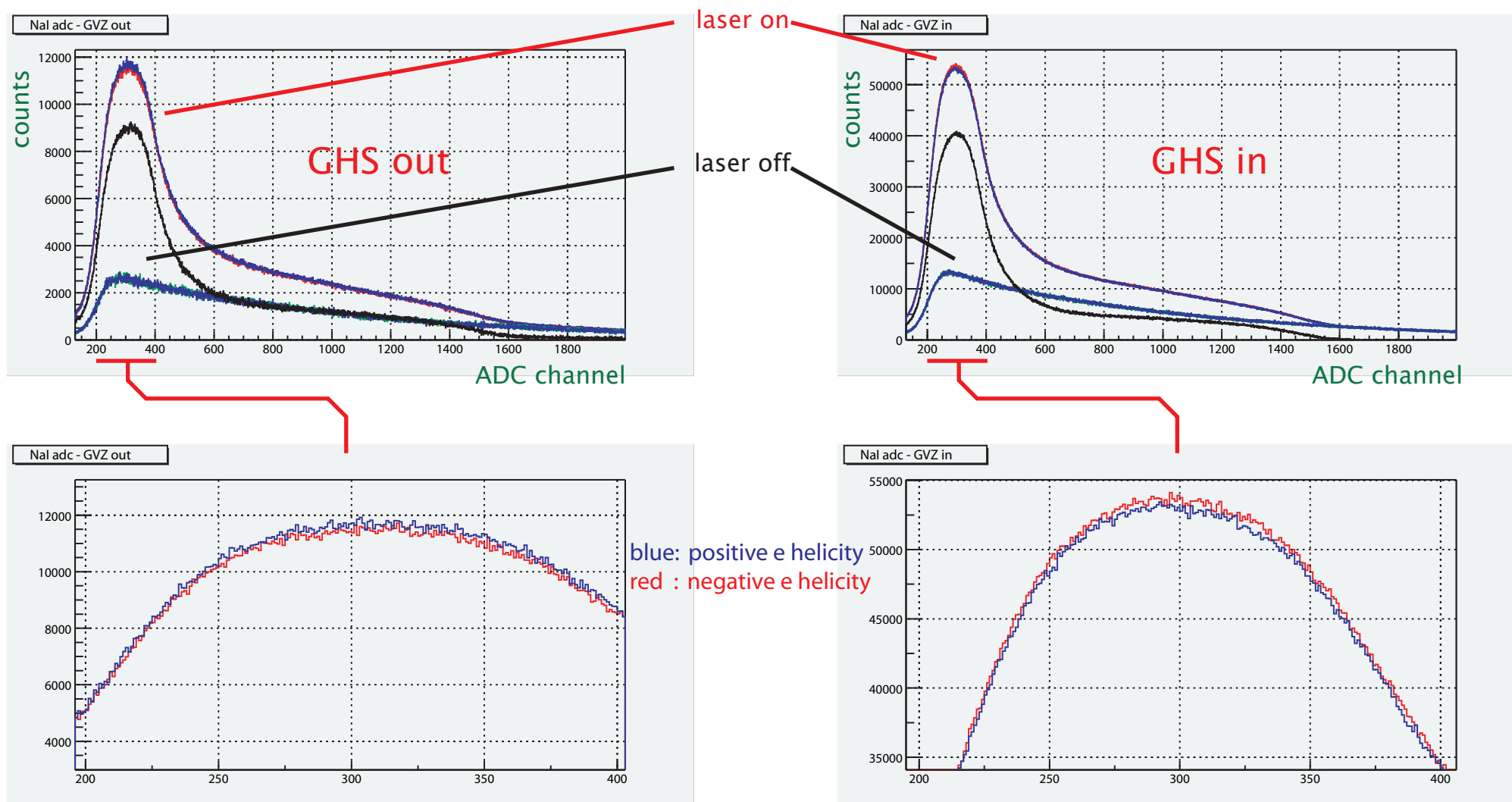


- system has been tested and is being prepared for routine operation within the polarimeter



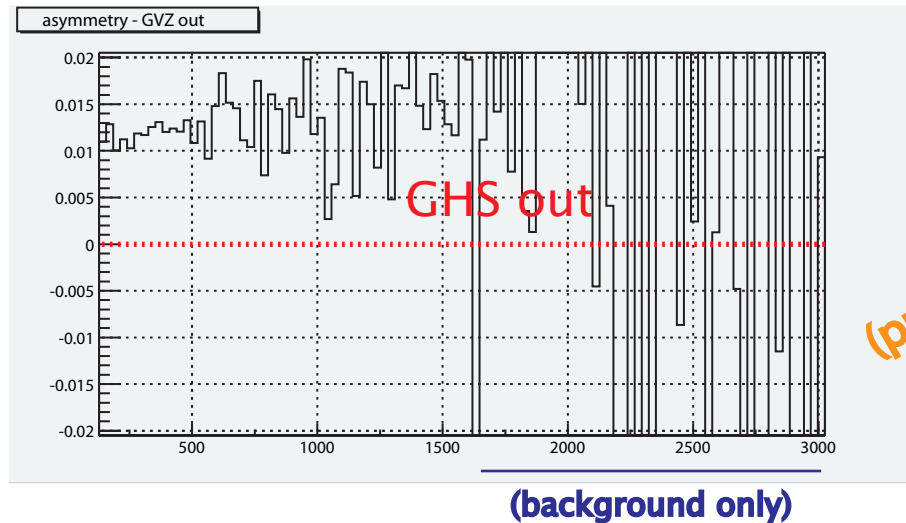
– measured first Compton asymmetry (Aug 2004)

Energy spectra for both electron helicities:

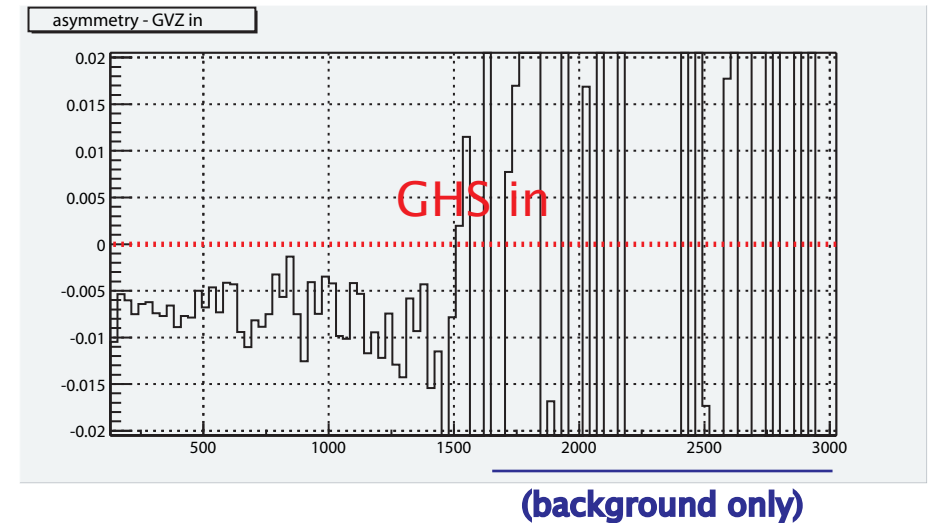


- measured first Compton asymmetry (Aug 2004)

Energy spectrum asymmetries:



(preliminary)



- quantitative analysis running
- check for possible systematics

5. Summary and Outlook

- planned and successfully installed a magnetic chicane for a Compton backscattering polarimeter
- planned and successfully installed an optical system, laser intensities up to 90W @ 514.5 nm
- commissioned a detector and measured first backscattered photons
- planned and successfully installed a stabilization system for the laser optics
- commissioned an electron detector and improved SNR from 1:7 to 1:2
- **measured first Compton asymmetries**

NEW!!

Next steps:

- refine laser polarization measurement and detector calibration to extract quantitative polarization results
- upgrade the vacuum system

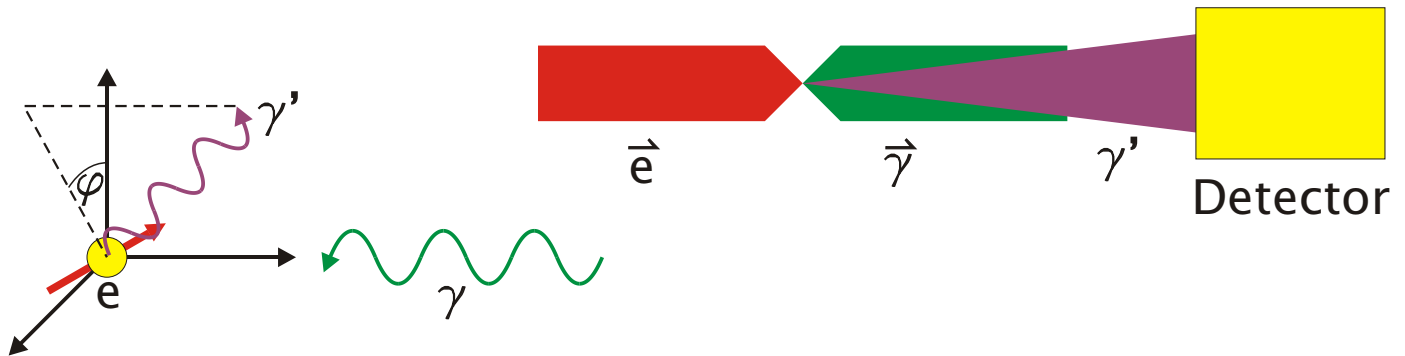
→ ready for longitudinal asymmetry program

- upgrade to transverse spin measurement: use position-sensitive detector to measure spatial Compton asymmetry

→ ready for entire physics program

2. Compton Polarimetry

Scattering of photons on leptons



Compton cross-section:

Lipps, Tolhoek Physica XX(1954)

$$\frac{d}{d} = \frac{d}{d}_0 + Q \frac{d}{d}_1 + V P_{long}^e \frac{d}{d}_{long} + V P_{trans}^e \cos \frac{d}{d}_{trans}$$

Q,V : “Stokes Parameters” (initial photon polarization)

Q : linear contribution

V : circular contribution (+1 : right circular, -1 : left circular)

With circular light: asymmetry between scattering of right- and left-handed photons

average over φ (longitudinal polarization)

$$A = \frac{\frac{d}{d}_{right}}{\frac{d}{d}_{left}} = \frac{\frac{d}{d}_{right}}{\frac{d}{d}_{left}} \left[|V| P_{long}^e \frac{d_{long}}{d_0} \right]$$

➔ Asymmetry proportional to beam polarization